

---

**ABSTRACT**

Square root two was introduced by Pythagorean Hippasus of Metapontum representing the diagonal of the square. In March 1998, it was discovered that the same square root two, plays an important role in deciding the true value of Pi, too.

**KEYWORDS:** Circle, diameter, hypotenuse, square root two, triangle..

---

**INTRODUCTION**

Circle, square, triangle, regular polygon etc., are important geometrical entities. All entities except circle are straight-lined entities. These dimensions are easily measurable. Whereas, the dimensions of circle, for example, the length of the circumference of circle and the extent of area of the circle, are very very difficult to measure them accurately. Millions of mathematicians in the last many centuries have tried to get exact values for circumference and area of circle. Finally, they have come to the conclusion that  $\pi$  is 3.1415926... and circumference and area of circle can be calculated using formulae,  $2\pi r$  and  $\pi r^2$ , where  $\pi$  is 3.1415926... and 'r' is radius, of the circle.

Surprisingly, 3.145926... as  $\pi$ , **was disproved** by the discovery of 3.1464466... and the latter number to be exact, is  $\frac{14 - \sqrt{2}}{4}$ , in March 1998, by this author, a non-mathematician to the core. In the next eighteen years, 117 geometrical methods have confirmed that  $\pi$  no doubt equal to 3.1464466... is correct, and 3.1415926... is an approximation only from its 3<sup>rd</sup> decimal place on wards. It is a shocking news to this author also.

Main opposition to the new value  $\frac{14 - \sqrt{2}}{4}$ , by the mathematics community is that the significant role of square root two,  $\sqrt{2}$  in circle. Any amount of proofs in the last 18 years, as geometrical constructions, **have failed to convince the mathematics community.**

This author, however has been consistently arguing and submitting one by one every time with a new method, that  $\frac{14 - \sqrt{2}}{4}$  is the **true Pi value.**

Here is the latest **experimental evidence**, for the first time, that square root two,  $\sqrt{2}$ , is part and parcel of the circle, and how exactly,  $\sqrt{2}$  is involved in deriving  $\frac{14 - \sqrt{2}}{4}$  which was obtained by other 117 earlier methods.

**Procedure:** Draw a circle and inscribe a triangle.

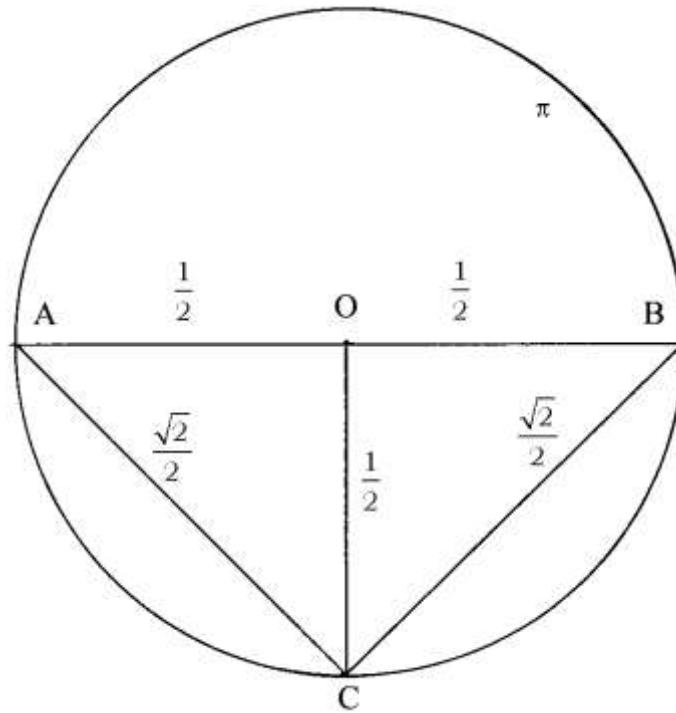


Fig-1

AB = diameter = 1

Circumference =  $\pi$

$$4\pi + \sqrt{2} = 14$$

AB = Diameter = d = 1

Radius = AO = OB = OC =  $\frac{1}{2}$

Triangle ABC

AB = 1

OC =  $\frac{1}{2}$

AC = CB =  $\frac{\sqrt{2}}{2}$

Circumference =  $\pi$

The length of the circumference is not known and is represented by  $\pi$ .

$$\pi d = \pi \times 1 = \pi$$

This author's study of circle and square from 1972 has given the opportunity to him to see **two great mathematical truths**, at two spells, one, on March 1998 (in the derivation of Pi value using radius of the circle only) and the 2<sup>nd</sup> truth, on December, 2015 in the form of the following equation.

$$4\pi d + \sqrt{2}d = 14d$$

$$\begin{aligned} \text{then } \pi &= \frac{14d - \sqrt{2}d}{4d} \\ &= \frac{14 - \sqrt{2}}{4} \end{aligned}$$

**Explanation of the equation  $4\pi d + \sqrt{2}d = 14d$**

$\pi d$  represents the length of the circumference, and  $14d$  represents the sum of 14 diameters of the same circle. This author is happy that he could explain the involvement of  $\sqrt{2}d$  here (the square root 2 of the diameter). The equation thus, says that four circumferences **plus** the square root 2 of the diameter is **equal** to the sum of the 14 diameters of same circle. However, **it does require a proof for this statement**. He has only an experimental proof for it. It is like saying an impossible thing (associating  $\sqrt{2}$  with circle) as that “Sun rises in the west”. This may be untrue, but the association of square root 2 with circle is **not an impossible concept** and is, as true as “Sun rises in the East”. How ? This author requests the readers to follow him carefully of this experiment done at home with the help of improvised materials.

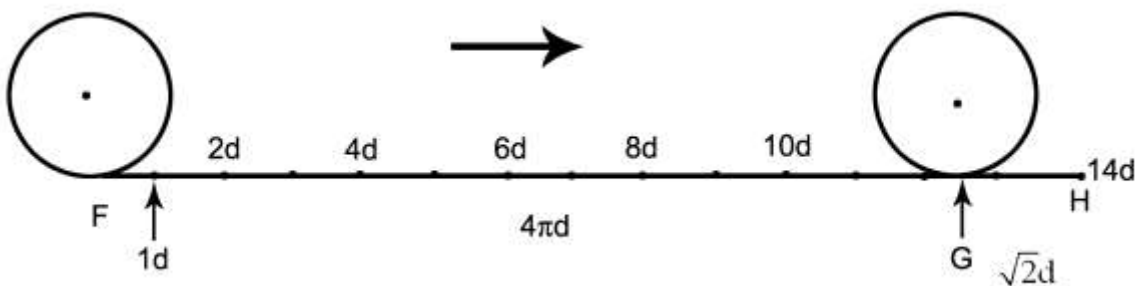
**EXPERIMENTAL PROCEDURE**

1. Take a round cap and measure its diameter (better its diameter minimum 4 cms)
2. Mark 14 diameters length on a table or on the edge of a cot ( $14d = FH$  of Fig.2).
3. Turn the cap (looks like hollow cylinder) on the above  $14d$  length, **4 times**. Mark the end point of 4<sup>th</sup> completed turn (G in Fig.2)
4. Some length (distance) remains uncovered by the cap after 4 turns. Measure its length (Fig.2 GH)
5. Add step 3 and step 4.  
Length of 4 turns + uncovered distance is equal to  $14d$ .

OR

1. Take the above cap of 4 cms diameter and fold around it, a ribbon of paper 2 cms width **one round** only ( $\pi d$ ) exactly. Cut the piece. Measure its length on the straight edge.
2. Multiply 4 times of Step.1 which gives  $4\pi d$ .
3. With pocket calculator find out  $\sqrt{2}$  value of the **diameter** of the cap ( $\sqrt{2}d$ )
4. Add Step 2 and Step 3, which will be equal to 14 diameters of the circle (i.e. cap)

With minor experimental errors we can prove that  $4\pi d + \sqrt{2}d = 14d$



**Fig-2: Experimental truth for  $4\pi d + \sqrt{2}d = 14d$**   
**(FG) + (GH) = (FH)**

FH length = 14 diameters ( $14d$ )

FG length = 4 turns of circle ( $4\pi d$ )

GH length =  $FH - FG = 14d - 4\pi d = \sqrt{2}d$

The above experiment proves that the remaining length after 4 turns ( $4\pi d$ ) of (wheel/ cap) the circle on a  $14d$  length, is equal to  $\sqrt{2}d$ .

### CONCLUSION

The square root two is part and parcel of the circle in its invisible form.

### Dedication

This paper is humbly dedicated to Pythagorean **Hippasus of Metapontum**, Greece, who has discovered  $\sqrt{2}$  for the diagonal of the square.



*Author*

### REFERENCES

- [1] **Lennart Berggren, Jonathan Borwein, Peter Borwein** (1997), *Pi: A source Book*, 2<sup>nd</sup> edition, Springer-Verlag New York Berlin Heidelberg SPIN 10746250.
- [2] **Alfred S. Posamentier & Ingmar Lehmann** (2004),  *$\pi$ , A Biography of the World's Most Mysterious Number*, Prometheus Books, New York 14228-2197.
- [3] **David Blatner**, *The Joy of Pi* (Walker/Bloomsbury, 1997).
- [4] **William Dunham** (1990), *Journey through Genius*, Penguin Books USA.
- [5] **Richard Courant et al** (1996) *What is Mathematics*, Oxford University Press.
- [6] **RD Sarva Jagannada Reddy** (2014), New Method of Computing Pi value (Siva Method). *IOSR Journal of Mathematics*, e-ISSN: 2278-3008, p-ISSN: 2319-7676. Volume 10, Issue 1 Ver. IV. (Feb. 2014), PP 48-49.
- [7] **RD Sarva Jagannada Reddy** (2014), Jesus Method to Compute the Circumference of A Circle and Exact Pi Value. *IOSR Journal of Mathematics*, e-ISSN: 2278-3008, p-ISSN: 2319-7676. Volume 10, Issue 1 Ver. I. (Jan. 2014), PP 58-59.
- [8] **RD Sarva Jagannada Reddy** (2014), Supporting Evidences To the Exact Pi Value from the Works Of Hippocrates Of Chios, Alfred S. Posamentier And Ingmar Lehmann. *IOSR Journal of Mathematics*, e-ISSN: 2278-3008, p-ISSN:2319-7676. Volume 10, Issue 2 Ver. II (Mar-Apr. 2014), PP 09-12
- [9] **RD Sarva Jagannada Reddy** (2014), New Pi Value: Its Derivation and Demarcation of an Area of Circle Equal to  $\pi/4$  in A Square. *International Journal of Mathematics and Statistics Invention*, E-ISSN: 2321 – 4767 P-ISSN: 2321 - 4759. Volume 2 Issue 5, May. 2014, PP-33-38.
- [10] **RD Sarva Jagannada Reddy** (2014), Pythagorean way of Proof for the segmental areas of one square with that of rectangles of adjoining square. *IOSR Journal of Mathematics*, e-ISSN: 2278-3008, p-ISSN:2319-7676. Volume 10, Issue 3 Ver. III (May-Jun. 2014), PP 17-20.

- [11] **RD Sarva Jagannada Reddy** (2014), Hippocratean Squaring Of Lunes, Semicircle and Circle. IOSR Journal of Mathematics, e-ISSN: 2278-3008, p-ISSN:2319-7676. Volume 10, Issue 3 Ver. II (May-Jun. 2014), PP 39-46
- [12] **RD Sarva Jagannada Reddy** (2014), Durga Method of Squaring A Circle. IOSR Journal of Mathematics, e-ISSN: 2278-3008, p-ISSN:2319-7676. Volume 10, Issue 1 Ver. IV. (Feb. 2014), PP 14-15
- [13] **RD Sarva Jagannada Reddy** (2014), The unsuitability of the application of Pythagorean Theorem of Exhaustion Method, in finding the actual length of the circumference of the circle and Pi. International Journal of Engineering Inventions. e-ISSN: 2278-7461, p-ISSN: 2319-6491, Volume 3, Issue 11 (June 2014) PP: 29-35.
- [14] **R.D. Sarva Jagannadha Reddy (2014)**. Pi treatment for the constituent rectangles of the superscribed square in the study of exact area of the inscribed circle and its value of Pi (SV University Method\*). IOSR Journal of Mathematics (IOSR-JM), e-ISSN: 2278-5728, p-ISSN: 2319-765X. Volume 10, Issue 4 Ver. I (Jul-Aug. 2014), PP 44-48.
- [15] **RD Sarva Jagannada Reddy** (2014), To Judge the Correct-Ness of the New Pi Value of Circle By Deriving The Exact Diagonal Length Of The Inscribed Square. International Journal of Mathematics and Statistics Invention, E-ISSN: 2321 – 4767 P-ISSN: 2321 – 4759, Volume 2 Issue 7, July. 2014, PP-01-04.
- [16] **RD Sarva Jagannadha Reddy (2014)** The Natural Selection Mode To Choose The Real Pi Value Based On The Resurrection Of The Decimal Part Over And Above 3 Of Pi (St. John's Medical College Method). International Journal of Engineering Inventions e-ISSN: 2278-7461, p-ISSN: 2319-6491 Volume 4, Issue 1 (July 2014) PP: 34-37
- [17] **R.D. Sarva Jagannadha Reddy (2014)**. An Alternate Formula in terms of Pi to find the Area of a Triangle and a Test to decide the True Pi value (Atomic Energy Commission Method) IOSR Journal of Mathematics (IOSR-JM) e-ISSN: 2278-5728, p-ISSN: 2319-765X. Volume 10, Issue 4 Ver. III (Jul-Aug. 2014), PP 13-17
- [18] **RD Sarva Jagannadha Reddy (2014)** Aberystwyth University Method for derivation of the exact  $\pi$  value. International Journal of Latest Trends in Engineering and Technology (IJLTET) Vol. 4 Issue 2 July 2014, ISSN: 2278-621X, PP: 133-136.
- [19] **R.D. Sarva Jagannadha Reddy (2014)**. A study that shows the existence of a simple relationship among square, circle, Golden Ratio and arbelos of Archimedes and from which to identify the real Pi value (Mother Goddess Kaali Maata Unified method). IOSR Journal of Mathematics (IOSR-JM) e-ISSN: 2278-5728, p-ISSN: 2319-765X. Volume 10, Issue 4 Ver. III (Jul-Aug. 2014), PP 33-37
- [20] **RD Sarva Jagannadha Reddy** (2015). The New Theory of the Oneness of Square and Circle. International Journal of Engineering Sciences & Research Technology, 4.(8): August, 2015, ISSN: 2277-9655, PP: 901-909.
- [21] **RD Sarva Jagannadha Reddy** (2015). Leonardo Da Vinci's Ingenious Way of Carving One-Fourth Area of A Segment in A Circle. International Journal of Engineering Sciences & Research Technology, 4.(10): October, 2015, ISSN: 2277-9655, PP: 39-47.
- [22] **RD Sarva Jagannadha Reddy** (2015). Symmetrical division of square and circle (into 32) is reflected by the correct decimal part of the circumference (0.14644660941...) of circle having unit diameter. International Journal of Engineering Sciences & Research Technology, 4.(11): November, 2015, ISSN: 2277-9655, PP: 568-573.
- [23] **RD Sarva Jagannadha Reddy** (2015). Doubling the cube in terms of the new Pi value (a Geometric construction of cube equal to 2.0001273445). International Journal of Engineering Sciences & Research Technology, 4.(11): November, 2015, ISSN: 2277-9655, PP: 618-622.
- [24] **RD Sarva Jagannadha Reddy** (2015). Yet another proof for Baudhayana theorem (Pythagorean Theorem) or the diagonal length in terms of Pi. International Journal of Engineering Sciences & Research Technology, 4.(12): December, 2015, ISSN: 2277-9655, PP: 601-607.
- [25] **RD Sarva Jagannadha Reddy** (2015). The Diagonal – circumference-Pi of Simplest Relation. International Journal of Engineering Sciences & Research Technology, 4.(12): December, 2015, ISSN: 2277-9655, PP: 772-776.
- [26] **RD Sarva Jagannadha Reddy** (2016). The Equalization of certain rectangles of square into its circle in Area. International Journal of Engineering Sciences & Research Technology, 5.(1): January, 2016, ISSN: 2277-9655, PP: 39-46.

- [27] **RD Sarva Jagannadha Reddy** (2016). No more Super-Computers to compute Pi. International Journal of Engineering Sciences & Research Technology, 5.(1): January, 2016, ISSN: 2277-9655, PP: 305-309.
- [28] **RD Sarva Jagannadha Reddy** (2016). A Hidden truth of square root two in circle, and its essential role in finding circumference and area of a circle (116<sup>th</sup> Method on Circle and its real Pi). International Journal of Engineering Sciences & Research Technology, 5.(1): January, 2016, ISSN: 2277-9655, PP: 348-354.
- [29] **RD Sarva Jagannadha Reddy** (2016). No more A mathematical impossibility – square root of Pi found (117<sup>th</sup> Method). International Journal of Engineering Sciences & Research Technology, 5.(1): January, 2016, ISSN: 2277-9655, PP: 429-436.